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PISA New Design Methods for Offshore Wind Turbine Monopiles

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University of Oxford

Comité Français de la Mécanique des Sols et de Géotechnique Fondations d'éoliennes offshore 6 Décembre 2018















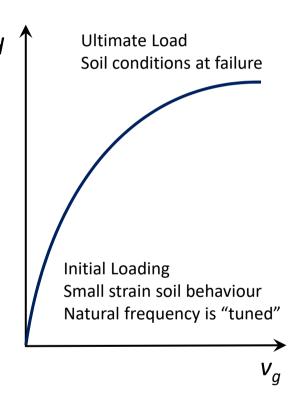


Monopile: Monotonic Loading





For Monopiles L/D = 2 to 6 e/D = 5 to 15



Photos from Dan Kallehave (DONG Energy)



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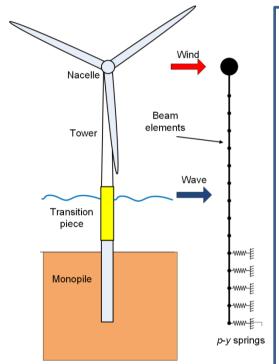


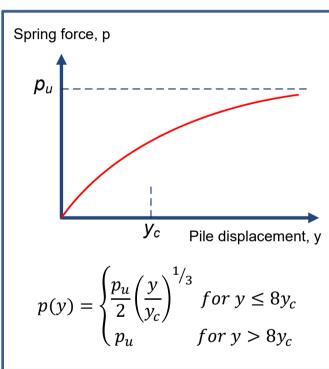


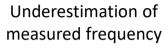


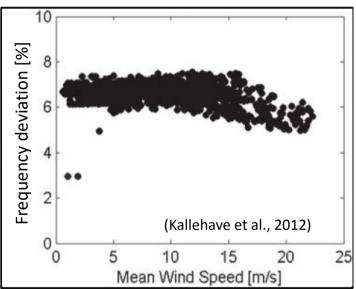


Problem Definition















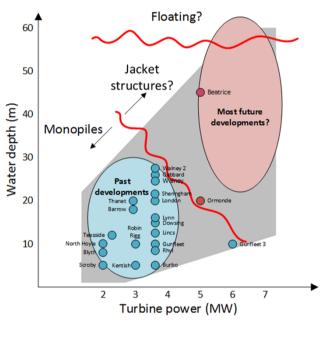




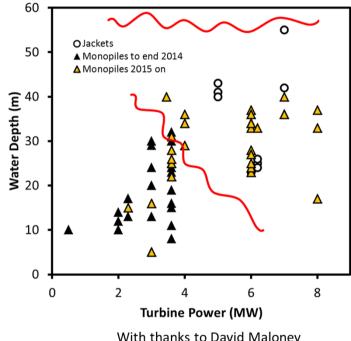




What is the limit of the Monopile?



From Guy Houlsby 2014 Rankine Lecture



With thanks to David Maloney DNV-GL







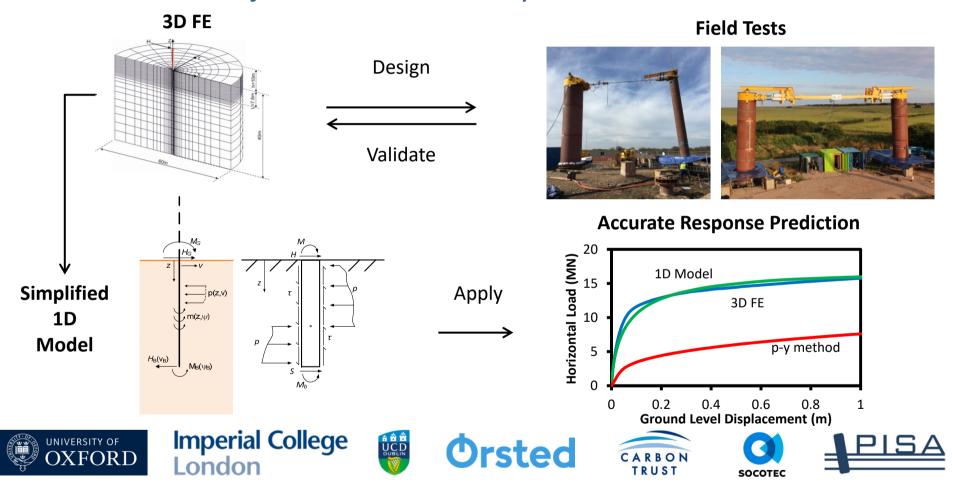




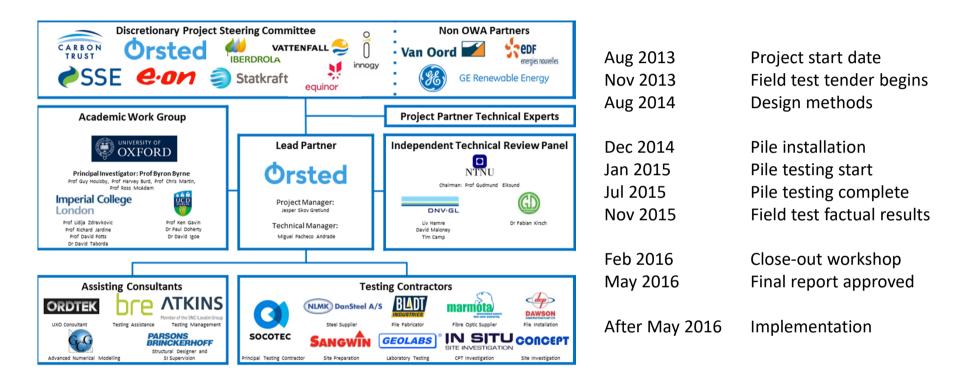




Project Overview – 2.5 years and £3.5m



Project Structure and Timetable











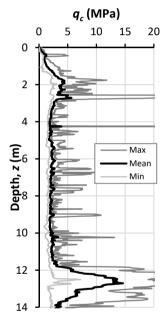


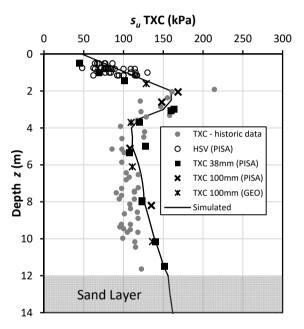


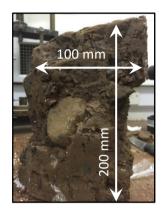


Site Selection and Characterisation

















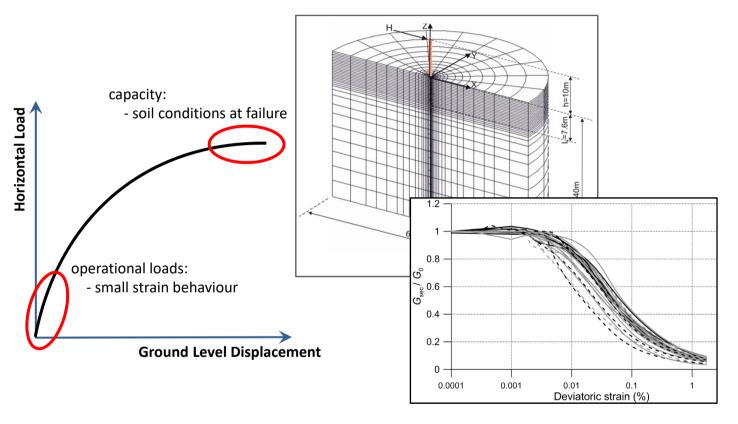


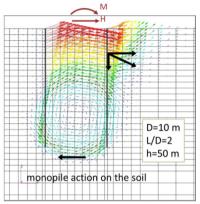


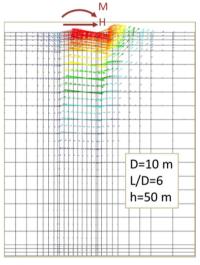




Numerical Modelling













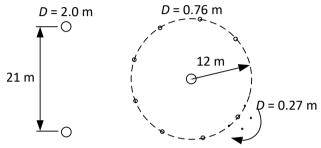




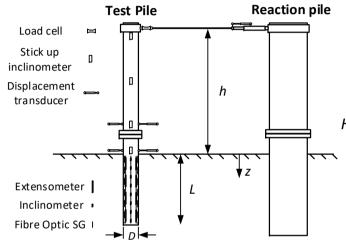




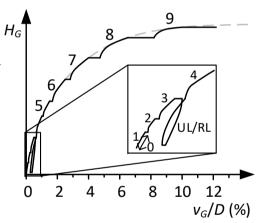
Field Test Campaign – 28 Pile Tests

















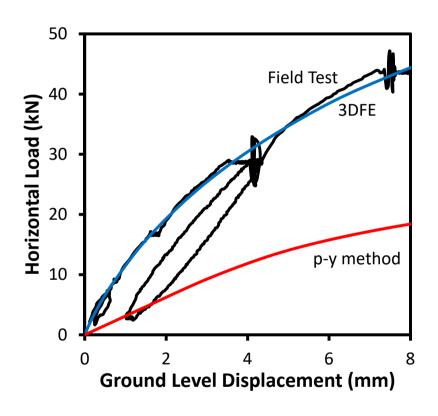


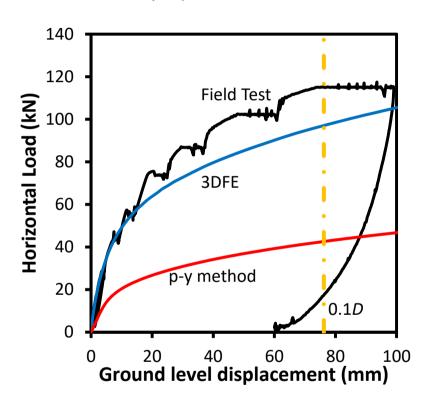






Cowden Test Results: D = 0.762 m, L/D = 5.25











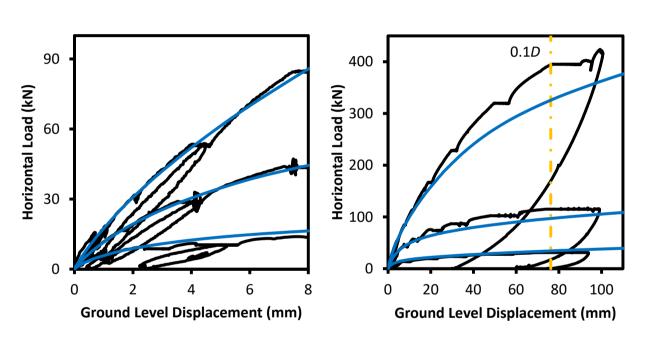


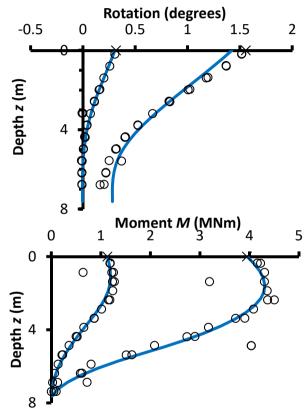






Cowden Test Results: D = 0.762 m, L/D = 3, 5.25, 10











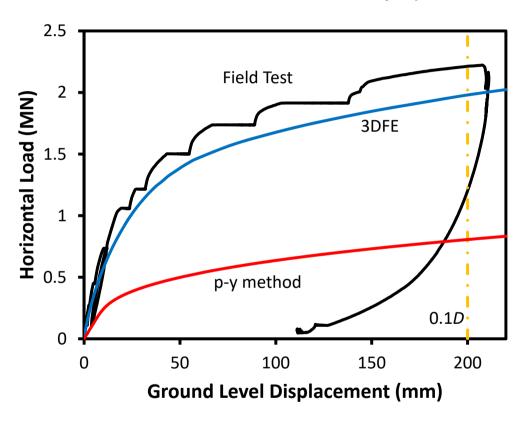








Cowden Test Results: D = 2 m, L/D = 5.25









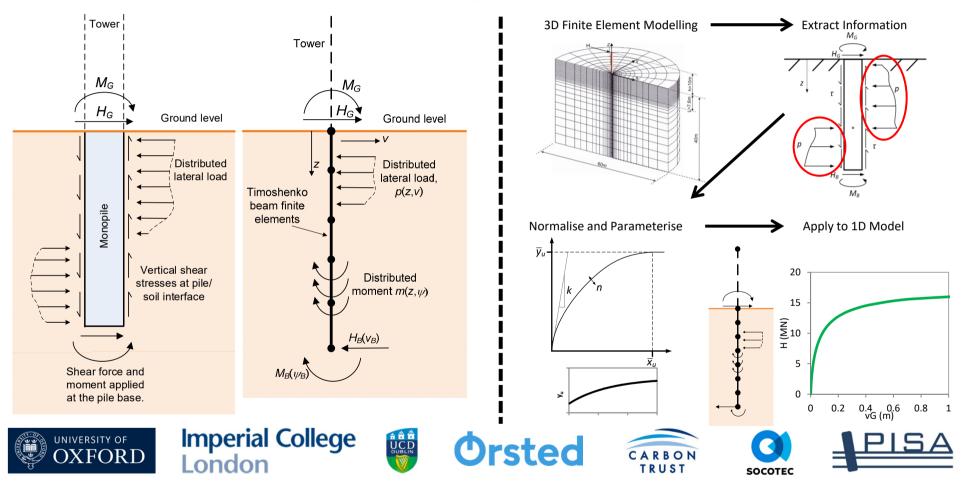




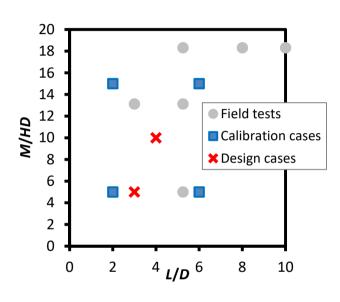




New Design Method

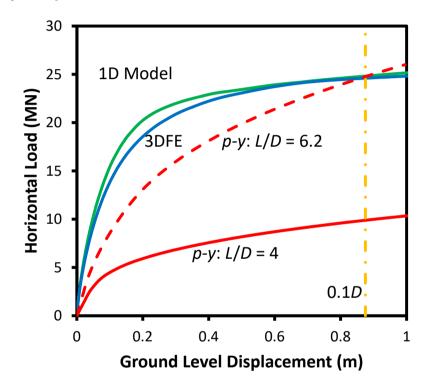


Design Case: L/D = 4, M/HD = 10 and D = 8.75m



Calibration (11 Calculations) D = 5, 7.5, 10 m L/D = 2, 6M/HD = 5, 15

t/D = 60, 80, 110



Design Improved from L/D = 6.2 to L/D = 4: SAVING = 35%!



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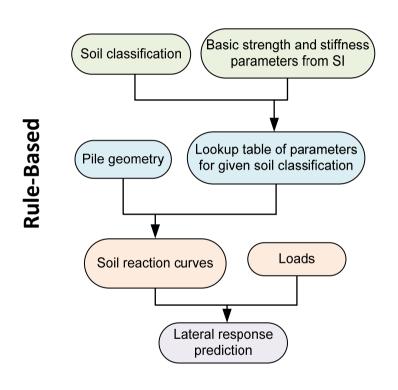


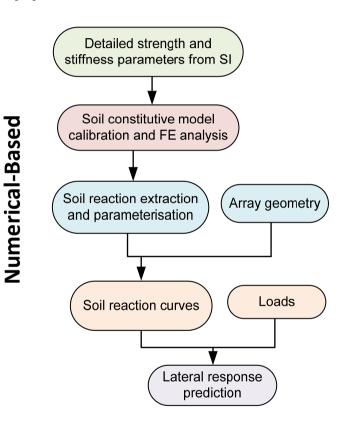






Design Method Application



















Progress of Offshore Wind in the UK



Nuclear: £92.50 MWh

2015 Offshore Wind: £114 to £120 MWh

2017 Offshore Wind: £57.50 MWh

Substantial savings to the UK tax payer underpinned by robust mathematical / scientific principles and sound engineering design















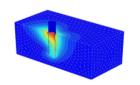
Postscript: PLAXIS MoDeTo

- First commercial application of the PISA Method, developed by Plaxis in partnership with Oxford University and Fugro
- Validated against experimental results from both test sites
- Rule-based and numerical-based design using user-defined or automatically calibrated soil response curves
 - Rule-based: Stand-alone tool. User-defined SRC
 - Numerical-based: SRC calibration from PLAXIS 3D FE model
- More info: http://www.plaxis.com/modeto



















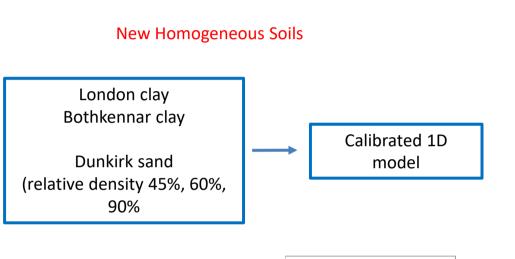


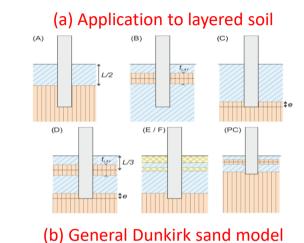




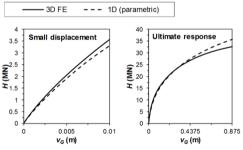


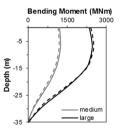
Postscript: PISA2 Layered Soils

















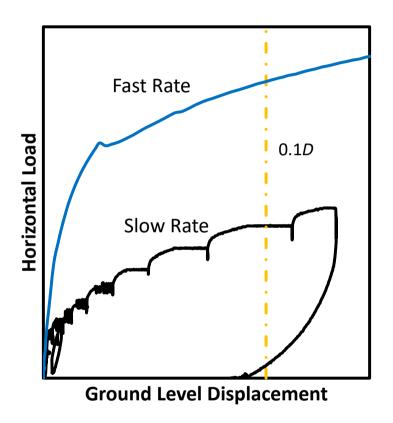


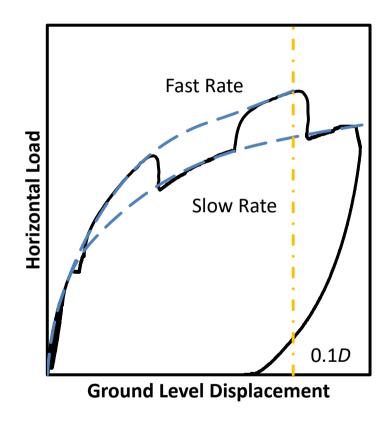






Rate Effects











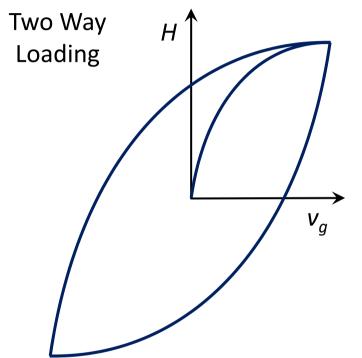


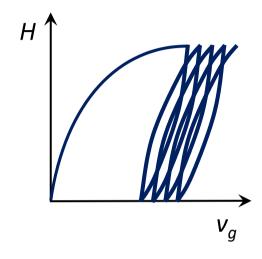






Monopile Cyclic Loading: Basics





One Way Loading

- Monotonic loading response is an essential input for any cyclic loading calculation
- Cyclic loading models must capture hysteresis, ratcheting behaviour and stiffness change



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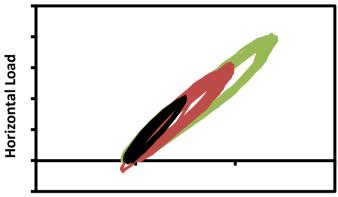




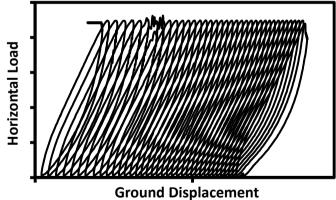
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Cyclic Testing





Ground Displacement











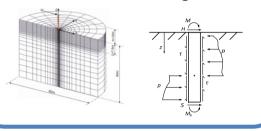






Oxford – Ørsted Collaboration 2018-2023

WP1: Modelling

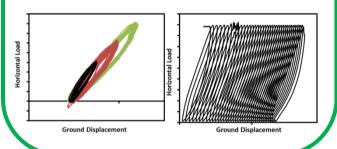


WP2: Calibration Methods

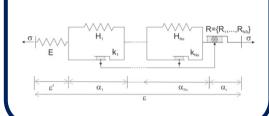


WP4: Field Testing

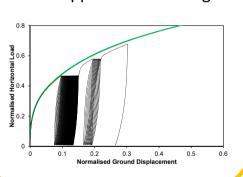




WP3: Theoretical Methods



WP5: Application to Design

















Publications

- The work will be disseminated as widely as possible
- A number of conference papers are now available
- 8 Papers on the field testing / numerical modelling / new design methods submitted for journal publication
 - 5 now accepted for publication in Géotechnique and will be available as Open Access in the near future
 - 3 under review
- Papers to come through in the future include
 - Papers on cyclic loading experiments
 - Papers from the PISA2 project















Concluding Remarks

- New and different design approaches needed for accurate modelling of laterally loaded piles with low L/D ratios
- Rule-based method with design equations or numerical-based method incorporating the use of finite element modelling for optimised design procedure capable of being evolved
- A very high quality database of medium scale pile tests has been gathered, covering a range of diameters, lengths and loading conditions
- PISA2 expands the database and covers layered soil profiles, and the PLAXIS tool MoDeTo will allow more widespread use of the method
- PISA Design is being applied to next generation wind farms in the UK















Postscript: 2017 BGA Fleming Award Winner

"The Fleming Competition is held annually to commemorate the life and work of Dr Ken Fleming and to recognise excellence in the practical application of geotechnics in a project or a part of a project. Entries are invited from teams which will typically include representatives from *Clients, Main Contractors, Consulting Engineers, Specialist Contractors* and so on. The award will be presented to the <u>Project Team which most demonstrates excellence in geotechnical design and construction</u>. There will be an emphasis on teamwork across the different disciplines involved in the project. Consideration will also be given to projects which are innovative."



Wednesday 6 December 2017 – Institution of Civil Engineers















Acknowledgements

The PISA Project was funded by the UK Department for Energy and Climate Change (DECC) and the PISA Industry Partners under the umbrella of the Offshore Wind Accelerator (OWA) programme designed and led by the Carbon Trust.

The following project partners provided financial and technical support: Alstom Wind, DONG Energy, E.ON, EDF, Iberdrola, innogy, SSE, Statkraft, Statoil, Van Oord and Vattenfall.







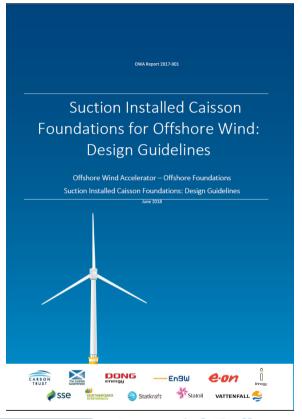


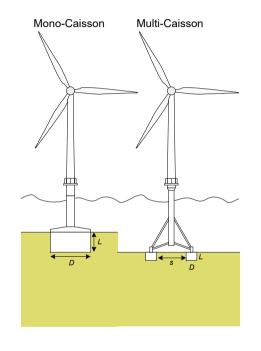






Suction Installed Caissons – Guidelines – Out Shortly

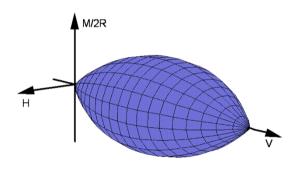












$$\sqrt{\left(\frac{H}{h_0 V_0}\right)^2 + \left(\frac{M}{m_0 D V_0}\right)^2 - \frac{2aHM}{h_0 m_0 D V_0^2} - 4\frac{V}{V_0} \left(1 - \frac{V}{V_0}\right)} = 0$$













